



FREE eBook

LEARNING time-complexity

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#time-
complexity

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About

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Chapter 1: Getting started with time-complexity

Remarks

This section provides an overview of what time-complexity is, and why a developer might want to use it.

It should also mention any large subjects within time-complexity, and link out to the related topics. Since the Documentation for time-complexity is new, you may need to create initial versions of those related topics.

Examples

Installation or Setup

Time complexity is a property of

- **Problems** someone might want to solve computationally,
- **Algorithms** designed to solve such problems and
- **Programs** implementing such algorithms.

An abstract concept requires no installation or setup. Simply take any problem, algorithm, or code and ask "How long will this take?"

Hello, world!

```
echo "Hello, world!"
```

Even in bash, this program works similarly in most other languages. The program has no input and will always function the same in an idealized world - run time should never change. Thus Hello World has *constant complexity*.

Almost all elementary operations are assumed to have constant complexity. This forms the basic building blocks of most programs.

Read [Getting started with time-complexity online](https://riptutorial.com/time-complexity/topic/6948/getting-started-with-time-complexity): <https://riptutorial.com/time-complexity/topic/6948/getting-started-with-time-complexity>

Chapter 2: Landau Notation

Remarks

All five classes in the Landau system describe *asymptotic* behaviour, i.e. the behaviour when the size of the problem tends to infinity. While this might look irrelevant to our – very finite – real world problems, experience has shown that behaviour of real world algorithms mirrors this infinite behaviour well enough on real data to be of practical use.

Examples

Big O

Big O notation provides upper bounds for the growth of functions. Intuitively for $f \in O(g)$, f grows *at most* as fast as g .

Formally $f \in O(g)$ if and only if there is a positive number c and a positive number n such that for all positive numbers $m > n$ we have

$$c \cdot g(m) > f(m).$$

Intuition of this definition

Intuition regarding c

c is responsible for swallowing constant factors in the functions. If h is two times f , we still have $h \in O(g)$ since c can be twice as big. For this there are two rationales:

- Easier notation: $f \in O(n)$ is preferable to $f \in O(7.39 n)$.
- Abstraction: Any units of time are swallowed in these considerations because there is nothing to gain from them; they differ between machines and the algorithms can be evaluated free of that. Since c swallows constant factors, the complexity classes stay the same even on a machine ten times as fast.

Intuition regarding n

n is responsible for swallowing initial turbulences. One algorithm might have an initialization overhead that is enormous for small inputs, but pays off in the long run. The choice of n allows sufficiently big inputs to get the focus while the initial stretch is ignored.

Intuition regarding m

m ranges over all values greater than n - to formalize the idea "from n onwards, this holds".

Read Landau Notation online: <https://riptutorial.com/time-complexity/topic/6951/landau-notation>

Credits

S. No	Chapters	Contributors
1	Getting started with time-complexity	4444 , Community , Hermann Döppes
2	Landau Notation	4444 , Hermann Döppes